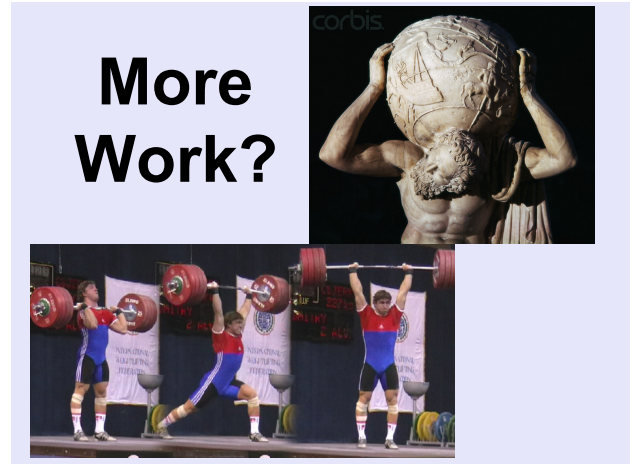


Kinetic Energy and The Work-Energy Theorem

Learning Target	Description
10.1	I can define, analyze, and calculate the amount of work done by a force in a closed system.
10.2	I can define, analyze, and solve problems involving kinetic energy.



Work

$$W = F d \cos \theta$$

Vector of Scalar?

Units? $1 \text{ N m} = 1 \text{ J (Joule)}$

Relationship? **Directly Proportional**

Compare and Contrast

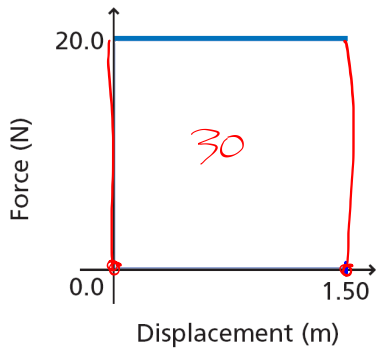
$W = F d \cos \theta$
 $W = mgd \cos 0$
 $W = mgd$

Positive Work
 → speeds up
 $0 < \theta < 90$

$W = F d \cos \theta$
 $W = mgd \cos 180$
 $W = -mgd$

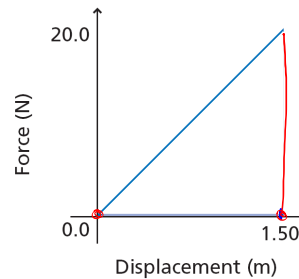
Negative Work
 → slows down
 $90 < \theta < 180$

Interpret the Graph



$$W = F \cdot d = 30 \text{ J}$$

What About This One?



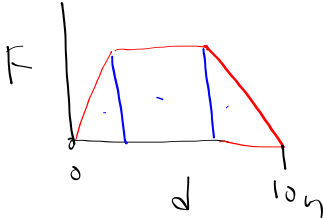
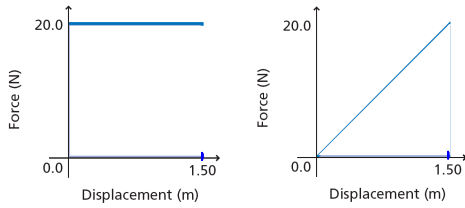
$$W = \text{area} = \frac{1}{2}bh$$

$$= \frac{1}{2}(1.5\text{m})(20\text{ N})$$

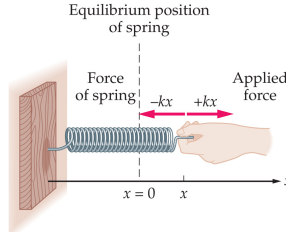
$$W = 15 \text{ J}$$

Work Done By A Variable Force

Work can be obtained graphically by finding the **area under a force-displacement graph.**

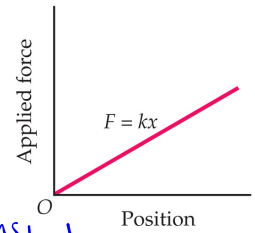


Work Done By a Spring



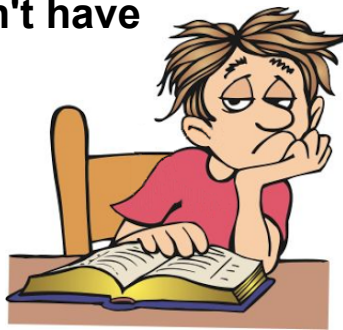
Hooke's Law

Work Done by a Spring



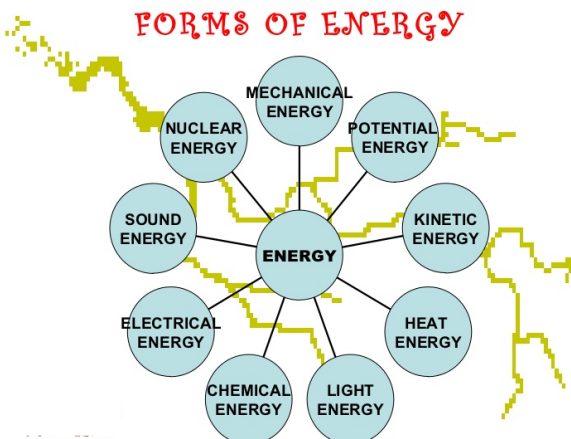
$k = \text{spring/force constant}$
 $x = \text{stretch/compression length}$

I'd love to continue talking about work, but I just don't have the energy.



Energy

The ability to do work and cause change.



Kinetic Energy

Kinetic Energy is the energy of motion.

$$KE \quad K = \frac{1}{2}mv^2$$

Vector or Scalar

Units

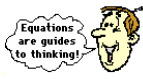
Relationship

Joules

$m \rightarrow$ Direct Prop.

$v \rightarrow$ Direct Quad.

$$KE = \frac{1}{2} m v^2$$



3) What is the range of possible values for kinetic energy?

IN CLASS EXAMPLES

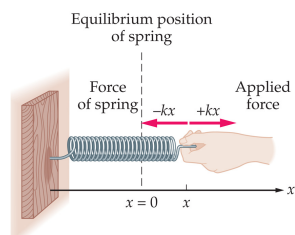
3. A snowboarder is sliding across a flat section of snow and eventually comes to a rest. In this situation, does the kinetic friction force do positive, negative, or zero work. Explain.

IN CLASS EXAMPLES

5. How much work is done to stretch a spring of force constant 1.0×10^4 N/m, a distance of 0.15 m.

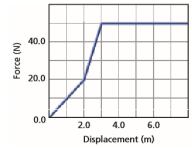
$$W = \frac{1}{2} k x^2 = \frac{1}{2} (10,000 \frac{N}{m}) (0.15 m)^2$$

$$W = 110 J$$



IN CLASS EXAMPLES

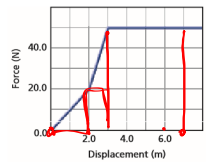
3. A snowboarder is sliding across a flat section of snow and eventually comes to a rest. In this situation, does the kinetic friction force do positive, negative, or zero work. Explain.
4. The graph in Figure 10-22 shows the force and displacement of an object being pulled. Calculate the work done to pull the object 7.0 m.



5. How much work is done to stretch a spring of force constant 1.0×10^4 N/m, a distance of 0.15 m.
6. A 0.14 kg pinecone falls 16 m to the ground, where it lands with a speed of 13 m/s. How much kinetic energy does the pinecone have when it hits the ground?

IN CLASS EXAMPLES

4. The graph in Figure 10-22 shows the force and displacement of an object being pulled. Calculate the work done to pull the object 7.0 m.



$$W = 255 J$$

$$20 + 20 + 15 + 200$$

IN CLASS EXAMPLES

6. A 0.14 kg pinecone falls 16 m to the ground, where it lands with a speed of 13 m/s. How much kinetic energy does the pinecone have when it hits the ground?

$$K = \frac{1}{2} m v^2 = \frac{1}{2} (0.14 kg) (13 m/s)^2$$

$$K = 12 J$$

