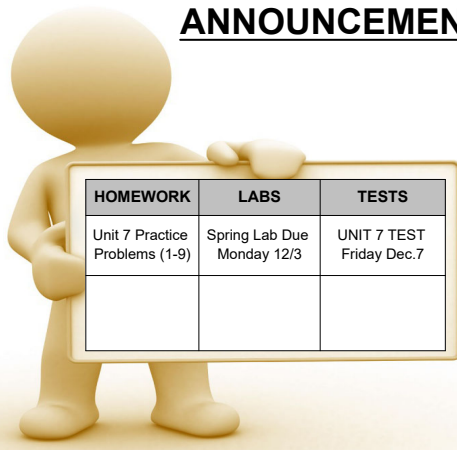


ANNOUNCEMENTS



7.3 SPRING FORCES

LEARNING TARGETS

7.4 I can define, analyze, and solve dynamic problems involving spring forces.



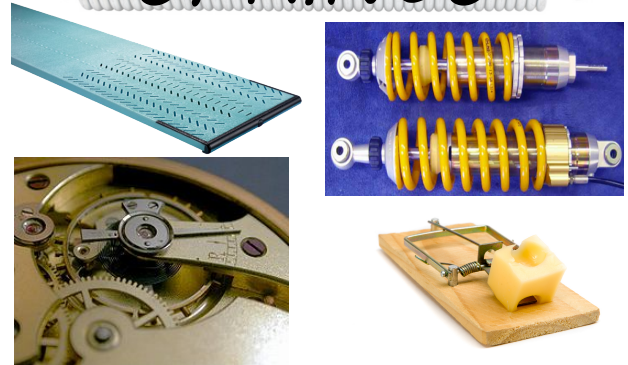
SPRINGS

Name three objects that use springs.



- Pen
- Shocks
- Bed
- Trampoline
- Pogo Stick
- Slinky

SPRINGS

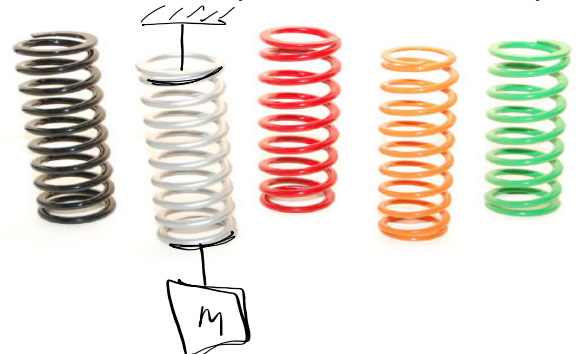


SPRINGS



SPRINGS

Ideal springs are massless and they are assumed to obey Hooke's law exactly.



SPRINGS

Robert Hooke
(1635-1703)

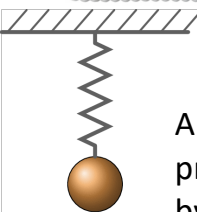
Philosopher
Physicist
Biologist
Architect



SPRINGS

Hooke's Law

A spring exerts a force that is proportional to the amount by which it is stretched or compressed, and in the opposite direction.

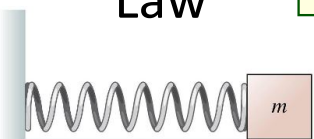


SPRINGS

Hooke's Law

$$F_s = kx$$

F = magnitude of the spring force
 k = force constant or spring constant
 x = the length of stretch or compression



$$\frac{F_s}{x} = k$$

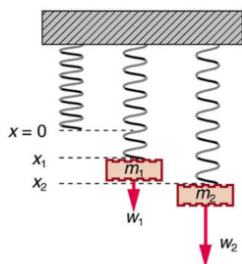
SPRINGS

What is "k" (Stiffness)

"k" is a constant of proportionality, referred to as the ~~x~~ **force constant**, or ~~x~~ **spring constant**.

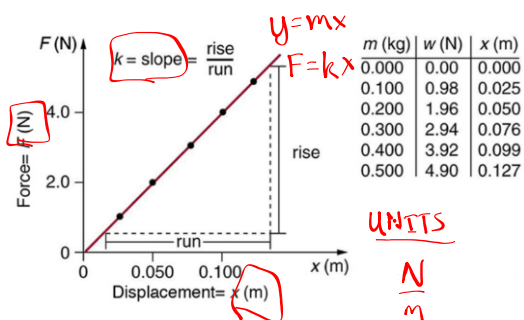


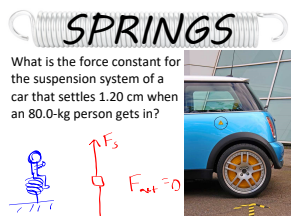
SPRINGS



m (kg)	w (N)	x (m)
0.000	0.00	0.000
0.100	0.98	0.025
0.200	1.96	0.050
0.300	2.94	0.076
0.400	3.92	0.099
0.500	4.90	0.127

SPRINGS





$$F_s = F_g$$

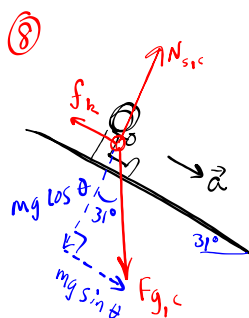
$$kx = mg$$

$$k = \frac{mg}{x} = \frac{(80 \text{ kg})(9.8 \text{ m/s}^2)}{0.012 \text{ m}}$$

$$k = 65,300 \frac{\text{N}}{\text{m}}$$

PRACTICE

UNIT 7 PROBLEMS (10-13)



$$F_{\text{net}} = mg \sin \theta - f_k$$

$$ma = mg \sin \theta - \mu N$$

$$\mu a = \mu g \sin \theta - \mu mg \cos \theta$$

$$\mu g \cos \theta = g \sin \theta - a$$

$$\mu = \frac{g \sin \theta - a}{g \cos \theta}$$