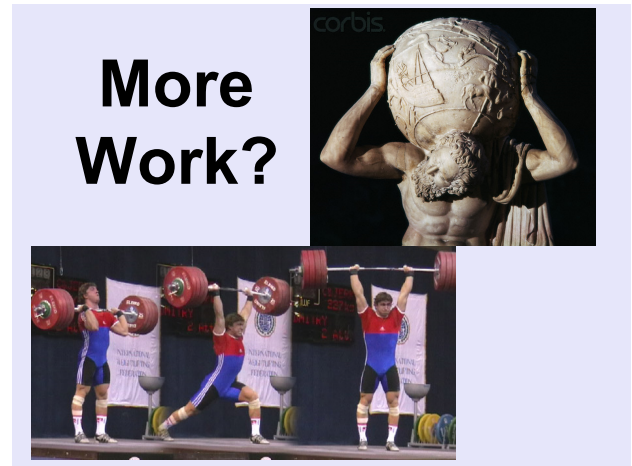


Kinetic Energy and The Work-Energy Theorem

LEARNING TARGET	DESCRIPTION
9.1	I can define, analyze, and calculate the amount of work done by a force in a closed system.
9.2	I can define, analyze, and solve problems involving kinetic energy.



Work

$$W = F_{\parallel}d = Fd\cos\theta$$

Vector of Scalar?

Units? $1 \text{ N m} = 1 \text{ J (Joule)}$

Relationship? **Directly Proportional**

Compare and Contrast

$\theta = 0$
 $\cos\theta = 1$

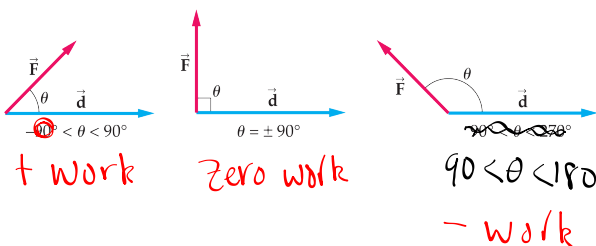
Positive Work
Speeds Up

$\theta = 180$
 $\cos\theta = -1$

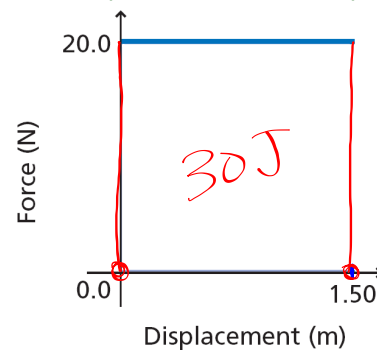
Negative Work
Slows down

Negative Work and Total Work

Work depends on the angle between the force, \vec{F} , and the displacement (or direction of motion), \vec{d} .

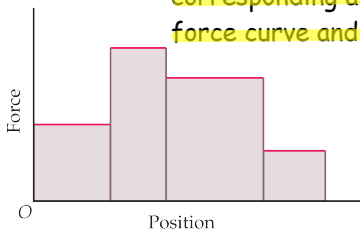


Interpret the Graph



Work Done By A Variable Force

The work done by a force moving an object from x_1 to x_2 is equal to the corresponding area between the force curve and the x axis.

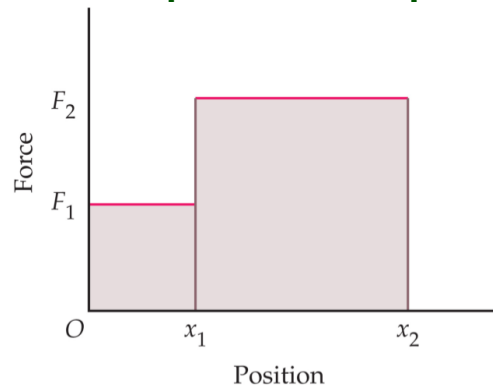


area under the curve

(b)

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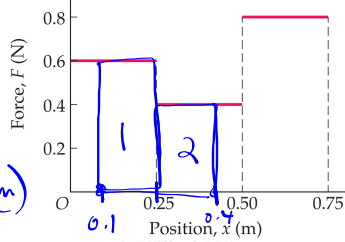
Interpret the Graph



Variable Force Example

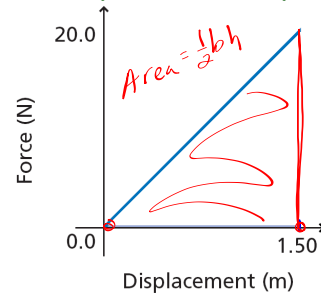
The force shown in the figure moves from $x = 0$ to $x = 0.75$ m. How much work is done by the force if the object moves from $x = 0.10$ m to $x = 0.40$ m?

$$W = (0.6\text{N})(0.15\text{m}) + (0.4\text{N})(0.15\text{m})$$



$$W = 0.15 \text{ J}$$

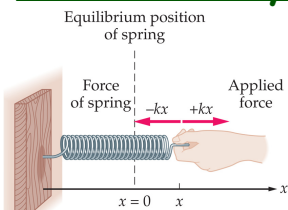
Interpret the Graph



$$W = \frac{1}{2}(1.5\text{m})(20\text{N})$$

$$W = 15 \text{ J}$$

Work Done By a Spring

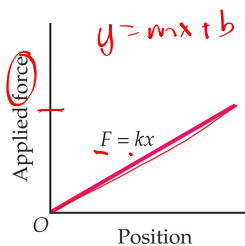


Hooke's Law

$$F = kx$$

Work Done by a Spring

$$W = \frac{1}{2} kx^2$$



$$\frac{1}{2} x \cdot kx$$

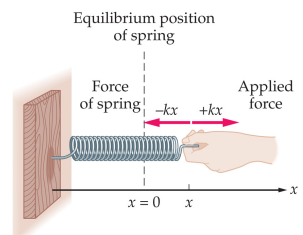
WORK DONE BY A SPRING EXAMPLE

How much work is done to stretch a spring of force constant 1.0×10^4 N/m, a distance of 0.15 m.

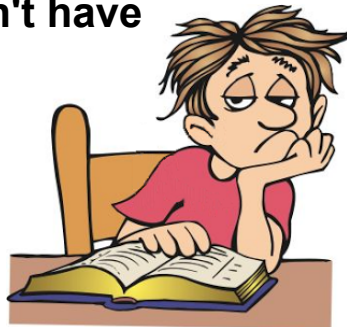
$$= k$$

$$= x$$

$$W = \frac{1}{2} kx^2$$

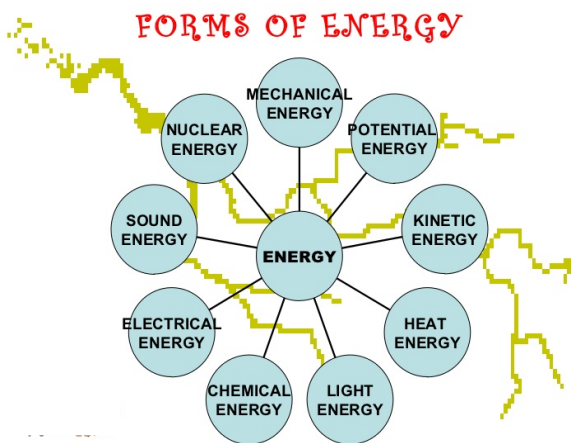


I'd love to continue talking about work, but I just don't have the energy.



Energy

The ability to do work and cause change.



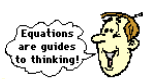
Kinetic Energy

Kinetic Energy is the energy of motion.

$$K = \frac{1}{2}mv^2$$

Vector or Scalar	Units	Relationship
Scalar	J	m - Direct Prop v - Direct. Quad

$$KE = \frac{1}{2} m v^2$$



- 1) What if mass is doubled?
- 2) What if the velocity is doubled?
- 3) What is the range of possible values for kinetic energy?

IN CLASS EXAMPLES

3. A 0.14 kg pinecone falls 16 m to the ground, where it lands with a speed of 13 m/s.
- (a) How much kinetic energy does the pinecone have when it hits the ground? $k = \frac{1}{2}mv^2 = 12 \text{ J}$
 - (b) How much kinetic energy would it have if there is no air resistance? $V^2 = V_0^2 + 2a(y_f - y_0) = 17.7 \text{ m/s}$ $k = \frac{1}{2}mv^2 = 22 \text{ J}$
 - (c) Did air resistance do positive work, negative work, or zero work on the pinecone. Explain.

